

1. What is your name?

2.1

CONDITIONAL STATEMENTS

Examples on pp. 71-74

EXAMPLES

If-then form	If a person is 2 meters tall, then he or she is 6.56 feet tall.
Inverse	If a person is not 2 meters tall, then he or she is not 6.56 feet tall.
Converse	If a person is 6.56 feet tall, then he or she is 2 meters tall.
Contrapositive	If a person is not 6.56 feet tall, then he or she is not 2 meters tall.

Write the statement in if-then form. Determine the hypothesis and conclusion, and write the inverse, converse, and contrapositive.

2. We are dismissed early if school lunch is served.

Conditional:

If school lunch is served, then we are dismissed early.

Hypothesis:

School lunch is served

Conclusion:

we are dismissed early.

Inverse:

If school lunch isn't served, then we aren't dismissed early.

Converse:

If we are dismissed early, then school lunch is served

Contrapositive:

If we aren't dismissed early, then school lunch isn't served

3. I prepare dinner on Wednesday nights.

Conditional:

If today is Wednesday, then I will prepare dinner

Hypothesis:

Today is Wednesday night

Conclusion:

I will prepare dinner.

Inverse:

If it isn't Wednesday night, then I won't prepare dinner

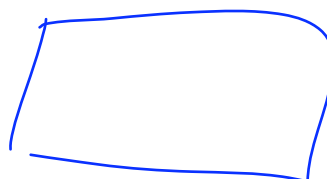
Converse:

If I prepare dinner, then it is Wednesday night.

Contrapositive:

If I don't prepare dinner, then it isn't Wednesday night.

Fill in the blank. Then draw a sketch that illustrates your answer.



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4. Through any three noncollinear points there exists ____?____ plane.

one plane

5. A line contains at least ____?____ points.

2

2.2

DEFINITIONS AND BICONDITIONAL STATEMENTS

Examples on pp. 79-81

EXAMPLE

The statement "If a number ends in 0, then the number is divisible by 10," and its converse "If a number is divisible by 10, then the number ends in 0," are both true. This means that the statement can be written as the true biconditional statement, "A number is divisible by 10 if and only if it ends in 0."

Can the statement be written as a true biconditional statement?

6. If $x = 5$, then $x^2 = 25$.

No, If $x^2 = 25$, then x could be -5 .

7. A rectangle is a square if it has four congruent sides.

yes

2.3

DEDUCTIVE REASONING

Examples on pp. 87-90

EXAMPLES

Using symbolic notation, let p be "it is summer" and let q be "school is closed."

Statement	$p \rightarrow q$	If it is summer, then school is closed.
Inverse	$\sim p \rightarrow \sim q$	If it is not summer, then school is not closed.
Converse	$q \rightarrow p$	If the school is closed, then it is summer.
Contrapositive	$\sim q \rightarrow \sim p$	If school is not closed, then it is not summer.

Write the symbolic statement in words using p and q given below.

p : $\angle A$ is a right angle. q : $m\angle A = 90^\circ$

8. $q \circledast p$

If $m\angle A = 90^\circ$, then $\angle A$ is a right angle

9. $\sim q \circledast \sim p$

If $m\angle A \neq 90^\circ$, then $\angle A$ isn't a right angle

10. $\sim p$

$\angle A$ isn't a right angle

11. $\sim p \circledast \sim q$

If $\angle A$ isn't a right angle, then $m\angle A \neq 90^\circ$

Use the Law of Syllogism to write the statement that follows from the pair of true statements.

12. If there is a nice breeze, then the mast is up.

If the mast is up, then we will sail to Dunkirk.

If there is a nice breeze, then I will sail to Dunkirk.

13. If Chess Club meets today, then it is Thursday.

If it is Thursday, then the garbage needs to be taken out.

If the Chess club meets, then the garbage needs to be taken out.

2.4

REASONING WITH PROPERTIES FROM ALGEBRA

Examples on pp. 96–98

EXAMPLE

In the diagram, $m\angle 1 + m\angle 2 = 132^\circ$ and $m\angle 2 = 105^\circ$.

The argument shows that $m\angle 1 = 27^\circ$.

$$m\angle 1 + m\angle 2 = 132^\circ$$

Given

$$m\angle 2 = 105^\circ$$

Given

$$m\angle 1 + 105^\circ = 132^\circ$$

Substitution property of equality

$$m\angle 1 = 27^\circ$$

Subtraction property of equality



Match the statement with the property.

	Statement	Property
14. ____	If $m\angle S = 45^\circ$, then $m\angle S + 45^\circ = 90^\circ$.	A. Symmetric property of equality
15. ____	If $UV = VW$, then $VW = UV$.	B. Multiplication property of equality.
16. ____	If $AE = EG$ and $EG = JK$, then $AE = JK$.	C. Addition property of equality.
17. ____	If $m\angle K = 9^\circ$, then $3(m\angle K) = 27^\circ$.	D. Transitive Property of Equality.

Perform a two column proof to solve each equation.

18. $5(3y + 2) = 25$



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19. $8t - 4 = 5t + 8$

20. $23 + 11d - 2c = 12 - 2c$



2.5

PROVING STATEMENTS ABOUT SEGMENTS

Examples on
pp. 102-104

EXAMPLE A proof that shows $AC = 2 \cdot BC$ is shown below.

GIVEN $\triangleright AB = BC$

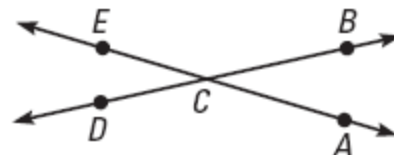
PROVE $\triangleright AC = 2 \cdot BC$



Statements	Reasons
1. $AB = BC$	1. Given
2. $AC = AB + BC$	2. Segment Addition Postulate
3. $AC = BC + BC$	3. Substitution property of equality
4. $AC = 2 \cdot BC$	4. Distributive property

21. Given: $\overline{AE} \cong \overline{BD}$, $\overline{CD} \cong \overline{CE}$

Prove: $\overline{AC} \cong \overline{BC}$



2.6

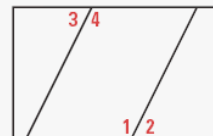
PROVING STATEMENTS ABOUT ANGLES

Examples on
pp. 109–112

EXAMPLE A proof that shows $\angle 2 \cong \angle 3$ is shown below.

GIVEN $\angle 1$ and $\angle 2$ form a linear pair,
 $\angle 3$ and $\angle 4$ form a linear pair,
 $\angle 1 \cong \angle 4$

PROVE $\angle 2 \cong \angle 3$



Statements	Reasons
1. $\angle 1$ and $\angle 2$ form a linear pair, $\angle 3$ and $\angle 4$ form a linear pair, $\angle 1 \cong \angle 4$	1. Given
2. $\angle 1$ and $\angle 2$ are supplementary, $\angle 3$ and $\angle 4$ are supplementary	2. Linear Pair Postulate
3. $\angle 2 \cong \angle 3$	3. Congruent Supplements Theorem

22. Given: $\angle 1$ & $\angle 2$ are complementary.

$\angle 3$ & $\angle 4$ are complementary.

$\angle 1 \cong \angle 3$

Prove: $\angle 2 \cong \angle 4$

